INTRINSIC PARAMETERS OF DRY CHOPPED MISCANTHUS FOR COLD PARTICLE DYNAMIC MODELING

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Abstract

Miscanthus is a bioenergy crop that is very easy to cultivate. It has high volatile content with an average energy value of about 18.8 MJ/kg on a dry basis. With the benefits mentioned above, Miscanthus is potential as a fuel for the suspended furnace. Therefore, the furnace design for the Miscanthus particle needs to be developed immediately. A relatively fast and low-cost technique to develop a burner furnace design is the modeling. This study aims to determine the intrinsic parameters values of dry Miscanthus particles needed in cold particle dynamic modeling. The various reasonable experimental techniques were used to obtain these parameter’s values. Then, a series of simulations and experiments of dry chopped Miscanthus dynamic in a special burner was conducted to assess the conformity of these values. The intrinsic parameters values of dry chopped Miscanthus obtained are as follows; shape factor (f_s) 0.52, true particle density (\rho_p) 245 kg m\textsuperscript{-3}, minimum, maximum, and mean particle diameters (d_p) 106, 9520, and 1384 µm respectively, and spread parameter (n) 1.22. Qualitatively, the particle dynamic simulation results, using RSM and k-\varepsilon models, showed similar particle pathlines to the experiment results, in terms of the frequency and intersection of the helical structure formed in the burner cylinder. It indicates that the intrinsic parameters values obtained in this study are reliable results and can be used for further simulation works. In addition, particle dynamics experiments and simulations also revealed that the particle pathline in the burner cylinder tend to move near the cylinder wall in a helical pattern; a single helix pattern in a single tangential inlet burner and a double helix pattern in a double tangential inlets burner. Regardless of the effect of the tangential inlet number, the helical pattern in the burner cylinder was also influenced by the initial swirl number (I_{SN}) of the flow. The lower the I_{SN}, the lower the helical frequency formed and vice versa. This study also proved that at low to moderate swirl intensities, the k-\varepsilon turbulent model can be relied upon to model particle dynamics in a cyclone burner.

Keywords: Intrinsic parameter, helical pattern, particle dynamic, shape factor, discrete phase model, cold modeling

1.0 INTRODUCTION

As a consequence of fossil fuels scarcity, the use of biomass as an alternative energy for power plants has increased. Different types of biomass ranging from wood biomass, non-wood biomass, waste biomass and cultivated biomass, have been initiated to be used as primary energy for steam power plants.
Miscanthus is one of potential bioenergy crops. This particular perennial crop can grow each year and survive for at least fifteen years. In Asia, the average yield of this crop reaches 20 t dry matter/ha/yr, while in Europe its yield potential could reach 38 t dry matter/ha/yr [1]. Miscanthus energy content is reported between 17.8 - 19.8 MJ/kg (dry basis) [2, 3]. Furthermore, this crop is easily cultivated; it does not require intensive irrigation, fertilization, and pesticide.

With the benefits mentioned above, it is clear that Miscanthus has the potential to be the future energy source for power plants. Therefore, boiler furnace technology using Miscanthus as the energy source needs to be developed. The most suitable boiler furnace technology for steam power plants is the suspended furnace. The combustion process in this type of boiler furnace is easily controlled and has higher thermal efficiency compared to the fixed-bed furnace or fluidized-bed furnace [4, 5].

The main problem in designing suspended furnaces is how the particles can be burned completely in a stable suspended condition. This usually happens when the drag time is long or the size of the furnace is large. On the other hand, the furnace design must be kept as small as possible to save investment. So the challenge of designing a suspended furnace is how to condition the particle drag time to be larger but in a small furnace volume. One of the strategies is to involve the swirl flow. For the same furnace volume, swirl flow will tend to produce a longer drag time in the furnace than straight flow.

The technological development core of the suspended furnace lies in the burner design. The burner design is unique; different types of biomass will lead to different geometry and operational conditions. Consequently, although several biomass burners have been previously developed, such as; wood dust (McConel 48) burner by Kop and Malte, wood powder (VTS) burner by Paulrud and Nilsson, and bagasse swirl burner by Arnao, et al. [6, 7, 8], those designs cannot directly be applied to Miscanthus particles.

Miscanthus burner design needs to be specifically developed based on its particle dynamic and combustion characteristics. The Computational Fluid Dynamics (CFD) method often be used to develop reliable burner designs. It is because the method is proactive, works fast and does not require too much cost [9]. However, the development of burner design through modeling processes requires several parameter values of the fuel particle. Some of these parameters values can be found in the literature but others should be obtained through their own experiment.

This study aims to determine the intrinsic parameter’s values of dry chopped Miscanthus, namely; density, shape factor, and particle diameter. The intrinsic parameters have very specific values. The different the anatomy, shape, and size of the particle, as well as the cutting machines, the different the values of these parameters will be [3].

The Miscanthus plants particles used in this study came from the Cibeunying Kidul Region, Bandung, and were chopped with a self-designed cutting machine, so they would have specific characteristics which are not yet available in the literature. This is the main novelty of this research. These parameters are needed to simulate the behavior of cold particle dynamics and have a valuable contribution to the development of Miscanthus burner design (i.e in determining the particle injection strategy).

The successful biomass burner design will serve as a gate for the application and commercialization of biomass steam power plants in the future. This could become a promising solution to the fulfillment of electricity requirements for small islands and remote areas.

2.0 METHODOLOGY

The intrinsic parameter’s values of the dry chopped Miscanthus were determined through the reasonable experimental techniques. Then, a series of simulations and experiments of dry chopped Miscanthus dynamic; in a special swirl burner, was conducted to assess the conformity of these values. Because of equipment limitation, the results of modeling and experiment can only be compared qualitatively, that is from the pattern of particle trajectories formed in the burner cylinder.

The models used as a qualifier were the RANS-based turbulent models, namely RSM and k-ε, under the Ansys-Fluent software. The model and software have been recognized by many researchers to be able to predict particle dynamics well, especially in cold and isothermal conditions [6, 7, 8]. With the assumption above, if the value of intrinsic parameters used are correct, the experiment and modeling of particle dynamics will be believed to give similar results. If there are deviations the modeling results from the experimental results, the source of the error that should be suspected is the intrinsic parameters.

2.1 Determination of Intrinsic Parameters

The intrinsic parameters of biomass particles, such as mean diameter, shape factor, and density, are very specific and complicated. The differences in the type of biomass anatomy, cutting machine, and cutting size will lead to the differences in the intrinsic parameters values. Unfortunately, in the modeling technique, the intrinsic parameters values of the particles are always involved in developing and optimizing the designs and the operating conditions.

The reality above provides a challenge for the researchers to get their own trusted intrinsic parameter values, for the particles they model. This study introduces several reasonable techniques to get reliable intrinsic parameter values, using widely available instruments.
Particles used in this intrinsic parameter determination were taken from the chopping results of fresh Miscanthus plants using the cutting mill (CM-01). This plant originated from the Cibeunying-Kidul Region, one of the hill areas in Bandung, Indonesia. The plants were harvested at ± 3 months of age and its height was ranging between 2.0 – 2.5 m, as depicted in Figure 1(a).

The cutting mill (CM-01) consists of 5 main parts, those are a feeder, cutting knife, motor, cutting table, and outlet, as shown in Figure 1(b). The feeder was designed specifically so that the position of the feed and cutting knife was perpendicular to each other. Cutting table plate was installed 10 mm under the cutting knife. The purpose of this design was to avoid the feed from getting through the product container before being chopped and to get a maximum 10 mm-size product. However, chopped Miscanthus size was influenced by cutting knife sharpness and motor rpm [3]. This cutting knife is driven by a 2 Hp motor with rpm of 1500.

![Miscanthus plants and cutting mill (CM-01)](Image)

**Figure 1** Miscanthus plants and cutting mill (CM-01)

### 2.1.1 Particle Density

In this study, there were 2 types of particle density to be determined, namely bulk and true particle densities. Basically, particle density is calculated based on Equation (1).

\[
\rho = \frac{m}{v}
\]

Where:
- \(\rho\) = particle density
- \(m\) = particle mass
- \(v\) = particle or bed volume

#### Bulk Density

The determination of bulk density \(\left(\rho_b\right)\) in this study referred to ASAE Standard (American Society of Agricultural Engineers). The procedure was as follows: (i) pour Miscanthus particles into a 500-ml modified beaker glass; it started ± 20 cm from the beaker glass bottom until the particles overflow, (ii) level out the overflow particles with the surface of the beaker glass, (iii) weigh particle mass in the beaker glass with the accuracy of 0.1 mg and (iv) calculate the bulk density \(\left(\rho_b\right)\) by dividing particle mass in the beaker glass with the beaker glass volume [10]. The bulk density determination was repeated 10 times.

#### True Density

In the true particle density \(\left(\rho_t\right)\) determination, particle mass used in Equation (1) was solid mass plus liquid mass inside (water content). Meanwhile, particle volume used was the particle solid volume only; pore volume was not included [11]. True particle density is influenced by water content and particle anatomy, therefore true particle density determination must be accompanied by anatomy and particle water content analysis.

On the other hand, true particle density is almost free of particle shape and size influences. As a result, true particle density determination can be represented by any particle as long as it comes from the same anatomy component. To ease the process of volume determination, particle shape in this true particle density determination was directed to common shapes such as cylinders, rectangular or cubes.

True particle density determination procedures were as follows: (i) choose 4 particles from each component of stem, leaf, bunches, and flower, (ii) modify the shape of each particle into cylinder or rectangular shape, (iii) weigh each particle using analytical scale of 0.1 mg accuracy, (iv) determine each particle volume using visual enlargement technique with ± 0.05 mm accuracy, and (v) calculate true density of each stem, leaf, bunches, and flower components. An average true particle density of sample particles \(\left(\rho_{t,a}\right)\) was calculated using the Equation (2) below.

\[
\rho_{t,a} = A\rho_{ts} + B\rho_{tl} + C\rho_{tb} + D\rho_{tf}
\]

Where the subscripts of \(a\), \(s\), \(l\), \(b\), and \(f\) refer to average, stem, leaf, bunches, and flower. Meanwhile, the variables of \(A\), \(B\), \(C\), and \(D\) are the mass fraction of stem, leaf, bunches and flower, respectively.

#### 2.1.2 Shape Factor

In this study, shape factor \(\left(f_s\right)\) was calculated based on Equation (3).

\[
f_s = \frac{A_s}{A_r}
\]

Where \(A_s\) is the surface area of a sphere whose volume is the same with sample particle and \(A_r\) is the real surface area of the sample particle. Surface area analysis is performed using Coventorware (Sciences & Engineering) software.
and particle volume were calculated based on particle average dimension [12], using visual enlargement technique, with 0.05 mm accuracy. To reduce shape factor disparity, sample particles were classified into 6 sieve result groups.

Shape factor determination procedures for each sieving result group were as follows: (i) choose 3 dominant particles shape for each sieving result group, (ii) determine the volume and surface area of each particle, (iii) for each particle, calculate sphere surface area whose volume is the same with the particle, and (iv) calculate shape factor for each sieving result group. The average shape factor of sample particle \( f_{s,a} \) was obtained from the proportional accumulation of each sieve group shape factor, as given by the Equation (4).

\[
f_{s,a} = \sum_{i=1}^{6} x_i f_s
\]

Where \( x_i \) is the mass fraction of each sieving result group.

### 2.1.3 Particle Diameter

Particles diameter of Miscanthus is determined through Rosin Rammier approach. In this research, the sample particles were distributed into 6 sieve sizes. The maximum and minimum diameters of the particle were represented by the largest and smallest sieve sizes, respectively. Meanwhile, the particles average diameter \( \bar{d}_p \) is determined through Equation (5). The value of \( \bar{d}_p \) is obtained at \( y_a = e^{-1} \) [13].

\[
y_a = e^{-(d_p/\bar{d}_p)^n}
\]

Where \( d_p \) is a representative particle diameter and \( y_a \) is the particle mass fraction which has a diameter greater than \( d_p \). Meanwhile, \( n \) is the distribution parameter. Its value is determined by the Equation (6).

\[
n = \frac{\ln(-\ln y_a)}{\ln(a/d)}
\]

### 2.2 Conformity Assessment of Intrinsic Parameter’s Values

To assess the suitability of intrinsic parameters values of Miscanthus, which are obtained using the above techniques, a series of particle dynamics simulations have been carried out on a specified burner. The simulation results were then confirmed with the results of the particle dynamics experiments carried out in a transparent burner. Particle pathlines formed in a burner cylinder are used as indicators to assess the feasibility of the intrinsic parameter values of Miscanthus.

The simulation and experiment of particle dynamics were carried out under cold conditions (without combustion), where the intrinsic parameters values haven’t changed during the study. The techniques of simulation and experiment used are given in the following description.

#### 2.2.1 Simulation Technique

The simulation of particle dynamics in a cyclone burner was conducted under these stages: (i) burner geometry construction, (ii) meshing process, (iii) boundary area identification, and (iv) numerical computation. The geometry and dimension of the simulated burner is shown in Figure 2. The meshing process generated ± 1.200.000 control volumes, which were dominated by a hexagonal shape. The modeling was simulated using a Reynolds Stress Model (RSM) and standard k-ε turbulent model.

![Simulation Technique](image)

**Figure 2** The simulated burner geometry (all dimensions in m)

In discrete phase modeling (DPM), the fluid dynamics is controlled by the Reynolds Averaged Navier-Stokes (RANS) equations. Meanwhile, the particle dynamics is governed by the particle momentum conservation law. Generally, the particle momentum conservation equation, for each direction of the cartesian coordinates, is given by the equation below [17].

\[
\frac{d\bar{u}_{pi}}{dt} = \frac{\bar{u}_i - \bar{u}_{pi}}{\tau_{Di}} + \rho_p \frac{\bar{g}_i}{\rho_p} + \bar{a}_i \; \text{where } i = x, y \text{ and } z
\]

Variable \( \bar{u}_i \) and \( \bar{u}_{pi} \) are the average velocities of fluid and particle to the direction of \( i \). Meanwhile, \( \rho_p \) and \( \rho \) are the fluid and particle densities. Variable \( \tau_{Di} \) is the drag time which is the contact time between the particle and the fluid. Variable \( \bar{g}_i \) is the gravity toward the direction of \( i \) and \( \bar{a}_i \) are other forces that work upon the particles which include: virtual mass force, Saffman’s lift force, thermophoretic force, and rocket force.

In this case, the four forces mentioned above were omitted because the modeling was done under cold...
conditions and the particle used has much greater density compared to air. Therefore, Equation (7) can be simplified into,

$$\frac{\partial \bar{u}_{pi}}{\partial t} = \frac{\bar{u}_i - \bar{u}_{pi}}{t_{Di}} + \frac{\rho_p - \rho}{\rho_p} g_i$$  \hspace{1cm} (8)

The drag time ($t_{Di}$) for each direction of a coordinate component is given by Equation (9).

$$t_{Di} = \frac{\rho_p d_p^2}{18 \mu} \frac{24}{C_D N_{Re,i}}$$  \hspace{1cm} (9)

From the above equation, it is shown that particle contact time with air is determined by particle density ($\rho_p$), particle diameter ($d_p$), relative Reynolds number ($N_{Re}$) and drag coefficient ($C_D$). The value of $C_D$ is determined by relative Reynolds number ($N_{Re,i}$) and particle shape factor ($f_i$). For non-spherical particles, the value of $C_D$ is formulated by Haider and Levenspiel in Equation (10) and (11).

$$C_D = \frac{24}{Re} (1 + b_1 Re^{b_2}) + \frac{b_3 Re}{b_4 + Re}$$  \hspace{1cm} (10)

where:

$$b_1 = \exp(2,3288 - 6,4581 f_i + 2,4486 f_i^2)$$  \hspace{1cm} (11.a)

$$b_2 = 0.0964 + 0.5565 f_i$$  \hspace{1cm} (11.b)

$$b_3 = \exp(4,905 - 13,894 f_i + 18,422 f_i^2 - 10,259 f_i^3)$$  \hspace{1cm} (11.c)

$$b_4 = \exp(1,4681 + 12,2584 f_i - 20,7322 f_i^2 + 15,8855 f_i^3)$$  \hspace{1cm} (11.d)

Variable $f_i$ is a shape factor. For a spherical particle, $f_i = 1$, while for non-spherical particles, $f_i < 1$. Particle shape factor is determined by Equation (3). Meanwhile, the relative Reynolds number equation is given by the equation below.

$$N_{Re,i} = \frac{d_p (\bar{u}_i - \bar{u}_{pi}) \rho}{\mu}$$  \hspace{1cm} (12)

According to Equation (9), the dynamic (drag time) of a particle is directly proportional to the density and size of the particles and inversely proportional to the particle drag coefficient. The drag coefficient of a particle is a function of particle shape, where the smaller the shape factor value, the greater the drag coefficient value will be and vice versa.

From the explanation above, it has been proven that particle dynamics modeling requires intrinsic parameter values of the modeled particles, namely particle shape ($f_i$), particle density ($\rho_p$), and particle diameter ($d_p$). Therefore, before particle dynamics modeling is carried out, the values of these parameters must be determined first.

### 2.2.2 Experimental Set-Up

Particle dynamics experiment was conducted in a transparent swirl burner made from acrylic material. The burner outlet is connected to a rectangular box as a furnace imitation. The particle dynamics experiment set-up used in this study is shown in Figure 3.

![Figure 3 Experimental set-up of fluid dynamics: (1) axial air inlet, (2) bin feeder, (3) screw feeder, (4) particle injection port, (5) tangential air inlet, and (6) cylinder body](image)

The experimental procedures of particle dynamics were as follows: (1) turn on the blower in both inlets, (2) set up the blower opening based on the desired flow rate, (3) turn on the screw feeder and set the motor velocity up according to the desired particle injection rate, (4) observe and visualise particle dynamics in the burner cylinder using a camera.

Airflow rate measurement is done by pilot meter. The experiment was conducted for a variety of tangential inlet numbers and Initial Swirl Number ($l_{SN}$). Refer to [15], the Initial Swirl Number ($l_{SN}$) is represented by the equation below.

$$l_{SN} = \left(\frac{m_t}{m_T}\right)^2 (A_T/A_t)^2$$  \hspace{1cm} (13)

Variables $m_t$ and $A_t$ are mass flow rate and surface area, respectively. Meanwhile, the subscript $t$ and $T$ refer to the tangential inlet and burner cylinder. The $l_{SN}$ variation used in this study was in between 12.7-30.4. Particle injection in the burner is done through a rectangular shaped surface with the surface area of ± 24 cm². The injection hole was built in the axial inlet, located 0.24 m from the burner head. Particle injection rate used was ± 0.02 kg/s.

### 3.0 RESULT AND DISCUSSION

#### 3.1 The Intrinsic Parameter of Dry Chopped Miscanthus

Approximately, 80% of the chopped product of cutting mill (CM-01) could pass through 10-mm size sieve at the first separation. The remainder (over size) is put into the cutting machine again. That particle size has met the particle size specification of biomass for suspended combustion purpose (≤ 10 mm), as used by some previous researchers [4, 8, 17].

In terms of shape, chopped dry Miscanthus particles were dominated by the cylinder and the rectangular shapes. Cylinder shape generally came
from the bunches and stem components. As for rectangular shape, some came from leaf components and others from stem components. This above characteristic is in accordance with what Baxter et al. claimed, that the chopped biomass particle shape is commonly dominated by cylinder and slab shape [18].

### 3.1.1 Particle Density

There are two-particle densities determined here, which are bulk density and true density on average. The average bulk density of dry Miscanthus particles from the measurement was 101.23 kg/m$^3$. The recapitulation of Miscanthus particle bulk density determination results, in 500 ml modified beaker glass, is given in Table 1. This bulk density value was close to the one reported by Dahl & Obenberger (2004), which was 117 kg/m$^3$ [19].

The difference between the bulk density value obtained here and the values in the literature may be caused by the difference in particle size, grinder/cutting mill types, and particle water content. The effect of grinder types upon bulk density has been reported by Victor et al. (2016); particles formed by grinders tend to have bigger bulk density compared to particles formed by cutting mills [3]. The average water content of the dry chopped Miscanthus used in this study is 12.35%.

<table>
<thead>
<tr>
<th>Sample Number</th>
<th>Weight (gram)</th>
<th>Density (gr/dm$^3$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>I</td>
<td>51.1896</td>
<td>102.38</td>
</tr>
<tr>
<td>II</td>
<td>49.0473</td>
<td>98.09</td>
</tr>
<tr>
<td>III</td>
<td>50.1567</td>
<td>100.31</td>
</tr>
<tr>
<td>IV</td>
<td>50.1567</td>
<td>100.31</td>
</tr>
<tr>
<td>V</td>
<td>51.2305</td>
<td>102.46</td>
</tr>
<tr>
<td>VI</td>
<td>51.2924</td>
<td>102.59</td>
</tr>
<tr>
<td>VII</td>
<td>49.4632</td>
<td>98.93</td>
</tr>
<tr>
<td>VIII</td>
<td>50.6683</td>
<td>101.34</td>
</tr>
<tr>
<td>IX</td>
<td>51.2252</td>
<td>102.45</td>
</tr>
<tr>
<td>X</td>
<td>51.2523</td>
<td>102.5</td>
</tr>
<tr>
<td><strong>Average Miscanthus bulk density</strong></td>
<td><strong>101.23</strong></td>
<td></td>
</tr>
</tbody>
</table>

In this study, the determination of the true particle density is represented by 16 particles, where each part of the anatomy (stem, leaf, bunches, and flowers) is represented by 4 particles. The true particle density of each component of stem, leaf, bunches, and flower are 279, 192, 248, and 237 kg/m$^3$. The proportion of each anatomy component is subjected to the season, soil condition, and plant harvest age [3, 20].

From the anatomical analysis of 10 sample stems, it was revealed that the composition of the Miscanthus plant weight was as follows: 57% stem component, 36% leaf component, 4% bunches component, and 3% flower component. Then, the average true particle density of the Miscanthus particle, calculated from the Equation (2), is ± 245 kg/m$^3$.

### 3.1.2 Shape Factor

The sieving results of dry Miscanthus particles are shown in Figure 4. All 6 groups of sieving results showed almost uniform shape and size. Then, using Equation (3), the shape factor of some particle representatives from each sieving result group was determined.

![Figure 4 Miscanthus particles visualization of each sieving result group.](image)

The shape factor of each sieving result group ($f_{s,i}$) are shown in Table 2. An average shape factor of dry chopped Miscanthus ($f_{a}$), which is calculated from Equation (4), is 0.52.

<table>
<thead>
<tr>
<th>Sieving size, µm</th>
<th>$X_d$</th>
<th>$(1-\Sigma X_d)$ or $Y_d$</th>
<th>$f_{s,i}$</th>
<th>$f_{a}$</th>
<th>$n$</th>
</tr>
</thead>
<tbody>
<tr>
<td>-106</td>
<td>0.010</td>
<td>0.99</td>
<td>0.58</td>
<td>0.0058</td>
<td>1.79</td>
</tr>
<tr>
<td>-850 +106</td>
<td>0.227</td>
<td>0.763</td>
<td>0.54</td>
<td>0.1226</td>
<td>2.68</td>
</tr>
<tr>
<td>-1000 +850</td>
<td>0.359</td>
<td>0.404</td>
<td>0.54</td>
<td>0.1939</td>
<td>0.30</td>
</tr>
<tr>
<td>-3360 +1000</td>
<td>0.221</td>
<td>0.183</td>
<td>0.52</td>
<td>0.1149</td>
<td>0.60</td>
</tr>
<tr>
<td>5600 +3360</td>
<td>0.121</td>
<td>0.062</td>
<td>0.50</td>
<td>0.0605</td>
<td>0.73</td>
</tr>
<tr>
<td>-9530 +5600</td>
<td>0.062</td>
<td>0.00</td>
<td>0.43</td>
<td>0.0267</td>
<td>0.22</td>
</tr>
</tbody>
</table>

| **Average**      |       |                           | 0.5244    | 1.22    |     |

### 3.1.3 Average Particle Diameter

A list of accumulated particle mass fraction ($Y_d$) and particle distribution parameter ($n$) for each sieving result group is shown in Table 2. It is clear from this table that the minimum particle diameter is 106 µm, maximum particle diameter is 9520 µm, and the average distribution parameter ($n$) is 1.22. Meanwhile, the average particle diameter ($d_{ap}$), obtained from Figure 5, is 1384 µm.
In cold modeling, density, shape factor and diameter of the particle can be considered constant, because the particle is assumed inert during the operation. However, in combustion modeling, this value may change during the combustion process. Rapid water evaporation and volatile substances release will cause rapid particle weight loss and will result in the change of particle shape and size. These changes would also happen during the char combustion stage [21, 22].

### 3.2 Experimental and Modeling Results of the Cold Particle Dynamic

The simulation results, using the RSM and k-ε turbulent models, have shown a similar particle dynamics to the experimental results, in terms of frequency and intersection of the helical structure in the burner cylinder, as shown in Figures 6 and 7. Due to camera limitation, the experimental particle pathline visualized in this study was only the steady movement by a group of the particle, not by an individual particle.

These results indicated that intrinsic parameters values used in modeling have sufficiently represented dry chopped Miscanthus characteristics. It also means that the experimental techniques used, in determining the intrinsic parameter of Miscanthus particles, are quite effective.

![Comparison between experimental and simulation particle pathlines in a cylinder burner at several $I_{SN}$ (with single tangential inlet and tangential inlet thickness = 2 cm)](image)
Furthermore, fluid dynamics modeling and experimentation also revealed that the particles move near the cylinder wall in a helical pattern. In the burner with a single tangential inlet, the particle trajectory pattern was in the form of a single helix (Figure 6). Meanwhile, in the burner with a double tangential inlet, the particle trajectory pattern was in the form of a double helix (Figure 7).

Besides being influenced by the number of tangential inlets, the helix pattern formed in the burner cylinder is also influenced by the ISN value. For a burner with a single tangential inlet, the influence of ISN was shown from the helix length. Experimental result for ISN 22.3 showed that the helix length was greater than 0.9 m (Figure 6(a)). Meanwhile for ISN 30.4 and 28.5, the experimental results showed that the helix length was ≤ 0.9 m (Figure 6(b) and (c)). The lower the ISN values, the longer the length of the helix and vice versa. A comparison of the particle dynamic characteristics in a burner with single tangential inlet, between simulation and experimental results, was given in Table 3.

<table>
<thead>
<tr>
<th>ISN</th>
<th>Parameter</th>
<th>RSM</th>
<th>k-ε</th>
<th>Experiment</th>
</tr>
</thead>
<tbody>
<tr>
<td>22.3</td>
<td>Helical number</td>
<td>Single</td>
<td>Single</td>
<td>Single</td>
</tr>
<tr>
<td></td>
<td>Helical length</td>
<td>&gt;&gt; 0.9</td>
<td>&gt;&gt; 0.9</td>
<td>&gt; 0.9</td>
</tr>
<tr>
<td>28.5</td>
<td>Helical number</td>
<td>Single</td>
<td>Single</td>
<td>Single</td>
</tr>
<tr>
<td></td>
<td>Helical length</td>
<td>&gt;&gt; 0.9</td>
<td>&gt;&gt; 0.9</td>
<td>≥ 0.9</td>
</tr>
<tr>
<td>30.4</td>
<td>Helical number</td>
<td>Single</td>
<td>Single</td>
<td>Single</td>
</tr>
<tr>
<td></td>
<td>Helical length</td>
<td>≥ 0.9</td>
<td>≥ 0.9</td>
<td>≤ 0.9</td>
</tr>
</tbody>
</table>

In a burner with a double tangential inlet, each helix had the opposite direction. Therefore, from the 2D perspective, as if there are some intersections formed between the two helices. The number and positions of the intersections were influenced by ISN values; the lower the ISN, the fewer number of intersections was formed. For ISN 12.7 and 13.3, the experimental result showed there were 2 intersections formed in the burner cylinder, located in compartment 2 (C2) and C3 (Figure 7(a) and (b)). Meanwhile, for ISN = 14.9, the intersection number was still 2, but the intersection positions were located in C1 and C2 (Figure 7(c)).

In the modeling results, although the number of intersections produced is the same, the position of the intersection is slightly different compared to the experimental results. For ISN 12.7, the intersection position on the RSM model is seen in compartment 2 (C2) and interface 3 (I3). While, on the k-ε model, the intersection position is seen in C1 and I2. A comparison of the particle dynamic characteristics in a burner with double tangential inlets, between simulation and experimental results, can be seen in Table 4.

<table>
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<th>ISN</th>
<th>Parameter</th>
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<th>k-ε</th>
<th>Experiment</th>
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<td>Double</td>
<td>Double</td>
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<td>C1 &amp; C3</td>
<td>C1 &amp; C2</td>
<td>C1 &amp; C2</td>
</tr>
</tbody>
</table>

Although in theory, the ability of the RSM turbulent model is better in predicting the swirl turbulent flow than the standard k-ε turbulent model, but in reality, under the modeling conditions used, the two models show almost the similar results [25]. Even at a low swirl.
flow intensity, the results given by the k-ε turbulence model were closer to the experimental results, compared to RSM. The above result was similar to the Vazquez finding, where for a certain I_{SW}, the quantitative predictions of the k-ε turbulent model for predicting axial and tangential velocities in swirl burner were better compared to RSM [26]. Thus, this study also confirms that the k-ε turbulent model can be used to predict particle dynamics in cyclone burner.

4.0 CONCLUSION

The intrinsic parameter values of dry Miscanthus particles, produced by chopping mills (CM-01), have been obtained through several reasonable experimental techniques. Those intrinsic parameters were then confirmed through modeling using the RANS-based turbulent models (RSM and k-ε) under Ansys-Fluent software. It was found that the fluid dynamics pattern i.e the frequency and the intersection of helical structure in burner cylinder, which is generated from modeling are similar to the experimental results. It indicates that the intrinsic parameter values used in modeling are close to the truth and can be used for further simulation works. The intrinsic parameter values of dry chopped Miscanthus obtained are as follows: (i) true particle density 245 kg/m^3, (ii) shape factor 0.52, (iii) minimum diameter 106 µm, (iv) maximum diameter 9520 µm, (v) average diameter 1384 µm, and distribution parameter 1.22.

Experiment and simulation results also revealed that the particle pathline in the burner cylinder has a helical pattern. A single helical pattern was formed in the burner with a single tangential inlet and a double-helical patterns were formed in the burner with a double tangential inlet. Apart from the geometry, the helical pattern i.e the frequency and intersection of the helical structure in the burner cylinder were also influenced by the initial swirl number (I_{SW}) of the flow. The lower the I_{SW}, the lower the helical frequency formed and vise versa.

The last results obtained from this study are proof that the k-ε turbulent model is able to model particle dynamics in a cyclone burner quite well, almost similar to the RSM. Because the k-ε turbulent model has a smaller computational effort compared to the RSM, then the use of the k-ε model will be more interesting.

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